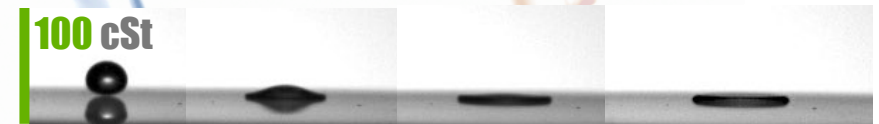


Droplet Spreading: varying viscosity

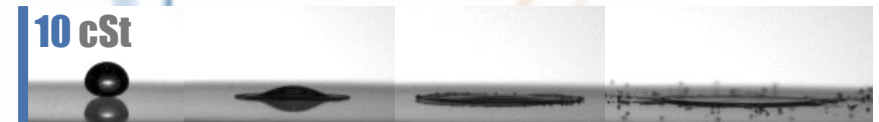
Y. Fujita, N. Endo, S. Kawamoto, A. Kiyama & Y. Tagawa
Tokyo University of Agriculture and Technology



Deposition, $We=5.0 \times 10^3$, $Re=2.0 \times 10^1$, $D_{max}/D_0=1.49$



Deposition, $We=3.9 \times 10^3$, $Re=1.6 \times 10^2$, $D_{max}/D_0=2.20$



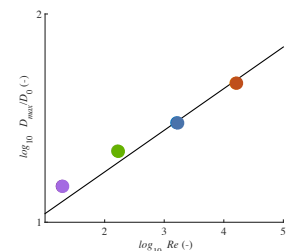
Prompt splash, $We=3.9 \times 10^3$, $Re=1.6 \times 10^3$, $D_{max}/D_0=3.01$



Corona splash, $We=3.8 \times 10^3$, $Re=1.6 \times 10^4$, $D_{max}/D_0=4.66$

Droplet spreading on a glass surface is recorded by two synchronized high-speed cameras. Viscosity of droplet is varied from **1 to 1,000 cSt**. As shown in upper-right panels, the flow pattern is obviously varied from **Deposition** to **Splash**^{*1} (see also main picture). Impact velocity is almost the constant, thus dominant parameter here is Reynolds number Re (namely, **viscous force**). For the maximal deformation of an impacting droplet, D_{max}/D_0 , **viscous force plays an important role** as well.

The impact number P , which is the measure of the ratio of the capillary force and the viscous force formulated as $We/Re^{0.8}$, is larger than 1 for all conditions. It means that the description by capillary force no longer holds. A scaling law $D_{max} \propto D_0 Re^{0.2}$, which takes viscous effect into account, should be adopted instead^{*2, *3}.



References: ^{*1}YARIN, A. L. (2006), ^{*2}CLANET, C., et al. (2004), ^{*3}EGGERS, J. et al. (2010)

1 mm

Top view

Comparison of spreading behavior overlapped in each viscosity at 5.3 ms ($U \sim 5.0$ m/s). Each painted color represents its viscosity.